## **Power Density Calculation**

	G (dBi)	h (m)	Width (m)	A (m²)	OD (m)	θ (3dB BW Az <sup>o)</sup>	P (W)	S <sub>surface</sub> (w/m2)	R <sub>nf (m)</sub>	S <sub>nf</sub> (w/m²)	S <sub>nfmax</sub> (w/m <sup>2</sup> )	R <sub>ff (m)</sub>	S <sub>ff</sub> (w/m <sup>2</sup> )
Omni 7.5	7.5	0.276			0.0254		0.066	2.9983	0.7760	2.9983	2.9983	0.7760	0.0491
Omni 9	9.0	0.5			0.0400		0.066	1.0510	1.9858	1.0510	1.0510	1.9858	0.0106
Omni 12	12.0	0.83			0.0560		0.066	0.4522	6.5773	0.4522	0.4522	6.5773	0.0019
SEC-5V/H- 90-17	17.0	0.65	0.216	0.1404		90	0.066	1.8803	4.0721	0.0040	0.0108	4.0721	0.0159
SEC-5V/H- 60-18	18.0	0.65	0.216	0.1404		60	0.066	1.8803	3.4177	0.0047	0.0108	3.4177	0.0284

## Where:

G: antenna gain

h: the height of the antenna

A: physical area of the aperture antenna

P: radio output power, P<sub>max</sub> = 0.066 W

 $S_{surface}$ : maximum power density at the antenna surface,  $S_{surface} = 4P/A$ , with omni antenna,  $S_{surface} = P/(2x3.14xODxh)$ 

 $R_{nf}$ : extent of near field,  $R_{nf}$  =  $D^2/4\lambda$ , where  $\lambda$  is wavelength, at 5.8GHz,  $\lambda$ =0.052m;

With omni antenna, Rnf is where S  $_{\mbox{\scriptsize nf}}\mbox{=}S_{\mbox{\scriptsize ff}}\mbox{, Rnf=Gh/2, where G is the antenna gain}$ 

With sector antenna,  $R_{nf}$  is where  $S_{nf}$ = $S_{ff}$ ,  $R_{n}$ f= $\theta hG/720$ 

 $S_{\text{nf max}}\!\!:$  maximum near field power density,

For panel and parabolic antennas, Snf =  $16\eta P/\pi D2$  (D is the antenna diameter); for worst case situation,  $\eta$  is assmumed to be 1

For omni and sector antenna,  $S_{nf}\text{=}180P/(\theta\pi h~R_{nf})$ 

R<sub>ff</sub>: distance to beginning of far field; with omni and sector antenna, R<sub>ff</sub> starts at the point where S<sub>nf</sub>=S<sub>ff</sub>

 $S_{\rm ff}$ : far field power density (on axis);  $S_{\rm ff}$  =  $PG/4\pi R^2$ 

**Note:** Power density beyond 1.5m from the center of antenna must be within 10W/m<sup>2</sup> or 1mW/cm<sup>2</sup>